# ANGULAR CORRELATION $\alpha$-PARTICLES IN THE REACTION ${ }^{12} C(\gamma, 3 \alpha)$ AT THE FORMATION OF ${ }^{8} B e$ NUCLEUS IN THE FIRST EXCITED STATE 

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#### Abstract

Investigation of channel formation of the first excited state of ${ }^{8} B e$ nucleus in ${ }^{12} C(\gamma, 3 \alpha)$ reactions is executed. The methodic of kinematical models of $\gamma+{ }^{12} C \rightarrow \alpha_{1}+{ }^{8} B e^{*}$ reaction is developed and is correctly selected $\alpha_{1}$-particle. The angular distributions of $\gamma+{ }^{12} C \rightarrow \alpha_{1}+{ }^{8} B e^{*}$ reaction and channel of disintegration of nucleus ${ }^{8} B e^{*} \rightarrow \alpha_{2}+\alpha_{3}$ are measured. The elements of density matrix of ${ }^{8} B e^{*}$ nucleus and spherical spin-tensors characterizing polarization of ${ }^{8} B e^{*}$ nucleus definite.


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## 1. INTRODUCTION

At present studies of the systems with the selected orientation of spin is given in nucleus physicist big attention [1]. Along with extremely difficult experiments with use of the polarized beams and targets the method of reception of the information on properties of the oriented systems, based on studying of functions of correlation of formation of the excited states and their disintegration in three-particles reactions of type $A(\gamma, a) B^{*}(b, c)$ is developed. Amplitude of such reaction of the consequent type is factorized on amplitude of reaction $A(\gamma, a) B^{*}$ and amplitude of decay $B^{*} \rightarrow b+c[2]$. The characteristic of the particle $B^{*}$, having nonzero spin and being in the excited states, are rather sensitive to change of the mechanism of reaction. The analysis of such parameters enables to get additional information about nucleus structure, nuclear interaction and nucleon associations.

Earlier [3] was us it is shown, that disintegration of nucleus of carbon on $\alpha$-particles goes as consequent process with formation of nucleus on intermediate stage: $\gamma+{ }^{12} C \rightarrow \alpha_{1}+{ }^{8} B e^{*}(\mathrm{I})$ and ${ }^{8} B e^{*} \rightarrow \alpha_{2}+\alpha_{3}$ (II). In this report the analysis of events in area of the first maximum of total cross sections ${ }^{12} C(\gamma, 3 \alpha)$ reactions will be executed - at photon energies of up to 22 MeV . Here possible channel of the formation of ${ }^{8} B e$ nucleus in the ground state and first excited states. The partial channel of the formation the ground state of ${ }^{8} B e$ nucleus is reliably selected [4], therefore is not a background for remaining events.

The use in the experiment $4 \pi$-detector (a diffusion chamber [5] placed in a magnetic field) enables to measure the angular distributions in the systems (I) and (II), and define amplitudes of the formation and disintegration of ${ }^{8} \mathrm{Be}$ nucleus. The matrix ele-
ments of amplitudes can be expressed through the elements normalized of the density matrix $\rho_{i k}[6,7]$ and depends only from polarization $t^{00, I M}$ even rank. Determination of the density matrix gives unique possibility to define the polarization tensor of ${ }^{8} \mathrm{Be}$ nucleus [2], which includes information not only about the spin state of this nucleus, but also about all nuclear reaction on the whole. Angular distributions in in the system (I) the first element of spin-tensor of the density matrix $\rho_{00}$ is presented only. Different from $\rho_{00}$ elements spin-tensor of the density matrix of ${ }^{8} B e$ nucleus (determined by the angular distributions of the system (II)) are not simply additional parameters, but descriptions determining the mechanism of reaction ${ }^{12} C(\gamma, 3 \alpha)$.

## 2. DETERMINATION $\alpha_{1}$-PARTICLES, ACCOMPANYING FORMATION OF ${ }^{8} \mathrm{Be}$ NUCLEUS

The energy of the relative motion $\left(\mathrm{E}_{x}\right)$ of two $\alpha$ particles is [6]

$$
\begin{equation*}
E_{x}=\frac{\left(\vec{p}_{i}-\vec{p}_{k}\right)^{2}}{4 m}, \tag{1}
\end{equation*}
$$

where $\mathrm{i}, \mathrm{k}$ are their numbers and p and m are their 3 -momentum and mass, respectively. Because of particle identity, we were unable to select a pair produced upon ${ }^{8} B e$ in constructing $E_{x}$ distributions, we therefore used three values of $E_{x}$ to represent each event. In Fig. 1, a, the distributions are shown by light points. The histogram step by 0.25 MeV , and the points were placed in the middle of intervals. The displayed errors are purely statistical.

Distribution is compared to the phase [6]:

$$
\begin{equation*}
f\left(E_{x}\right)=\sqrt{E_{x}} \cdot \sqrt{E_{x}^{\max }-E_{x}}, \tag{2}
\end{equation*}
$$

[^0]where $E_{x}^{\text {max }}$ - maximum kinetic energy in the system of two $\alpha$-particles, equal to total energy all particles in s.c.m. For a continuous photon spectrum, phase distributions were calculated step by step. First, this was done for photon-energy intervals 1 MeV wide. The area under the curve was normalized to the number of events per interval. After that, summation of probabilities was performed for identical intervals of energies $E_{x}$. In Fig.1,a phase distributing it is shown a solid curve.


Fig.1. Excitation energy distribution for the system of two $\alpha$-particles

The experimental distributions of pairs $\alpha$ particles differs from a phase and has two maxima, that whose parameters are $E_{0}^{1}=3.12 \pm 0.04 \mathrm{MeV}$ and $\Gamma^{1}=1.89 \pm 0.07 \mathrm{MeV}$ and that whose parameters are $E_{0}^{2}=8.13 \pm 0.12 \mathrm{MeV}$ and $\Gamma^{2}=4.17 \pm 0.24 \mathrm{MeV}$. The parameters of the first maximum are near to similar means of the first excited state of ${ }^{8} B e$ nucleus ( $E_{0}=3.04 \mathrm{MeV}$ and $\Gamma=1.5 \mathrm{MeV}$ from the known compiling of spectroscopic data [8]).

For the analysis of distributions in Fig.1, a the method of mathematical model ${ }^{12} C(\gamma, 3 \alpha)$ reactions was developed. On the basis of this model, one can deduce the distribution of energies of the relative motion of two $\alpha$-particles, employing parameters of known levels of the ${ }^{8} \mathrm{Be}$ nucleus, a specific form of angular distributions in the rest frame of two $\alpha$ particles, and the experimental energy dependence of the total cross section. The form of angular distributions in the reference frame commotion with the center of mass $\alpha_{1}+{ }^{8} B e^{*}$ system has no effect on the $E_{x}$ distribution since it characterizes the rotation of the system as a discrete unit. The angular distribution of $\alpha$-particles in the rest frame of the ${ }^{8} B e$ nucleus play
a significant role in the $E_{x}$ distribution. We chose the form of the angular distribution as follows: the experimental angular distribution in the system of rest of the $E_{x}$ nucleus were obtain, energy of excitation the ${ }^{8} B e$ nucleus is near to the first level [8] and executed approximation by trigonometric functions. A polar angle was counted off from direction of motion of the ${ }^{8} \mathrm{Be}$ nucleus and took into account the measurement errors in the particle momenta is $4 \mathrm{MeV} / \mathrm{c}$ and in the polar angle is $2^{\circ}[3]$. As in a model there is possibility simply to identify $\alpha$-particles, two types of distributing on energy of excitation of pair $\alpha$-particles were obtain - resonance function of excitation of the ${ }^{8} B e$ nucleus ( $\alpha_{2} \alpha_{3}$ ) (in the Fig.1,b solid curve) and background distributing (on the Fig.1,b dashed curve), where one of particles $\alpha_{1}\left(\alpha_{1} \alpha_{2}\right.$ and $\left.\alpha_{1} \alpha_{3}\right)$.

The result obtained on the basis of this model (sum of the resonance and background distributing) for the channel of formation of the ${ }^{8} \mathrm{Be}$ nucleus in the first excited state is shown in the Fig.1, a dashed curve. The agreement of model with the experiment allows to equate the first resonance with the first excited state of the ${ }^{8} \mathrm{Be}$ nucleus, and second to consider a background. From Fig.1,b follows that resonance and background distribution has a zone of the overlapping that in the experiment complicates the selection $\alpha$-particles, giving contribution to resonance. With the purpose of search of terms for the reliable division of distributing was executed the following:
a) intervals on energy $\gamma$-quantum $E_{\gamma}$ were varied, that causes change of background part;
b) restraints on energy of excitation of resonance pair $\alpha$-particles $E_{x}$ were imposed (diminishes a zone of the overlapping).

It is definite, that at $E_{\gamma}=16 \ldots 20 \mathrm{MeV}$ and $E_{x}\left(\alpha_{2} \alpha_{3}\right) \leq 3.04 \mathrm{MeV}$ the resonance and background pairs $\alpha$-particles were reliably divided and, consequently, was exactly determined $\alpha_{1}$. In the Fig.1,c the results of model at optimum conditions are presented.

To make sure, that by such limitations the structure of the angular distributing was not changed in the systems of rest (I) and (II), verification of influencing of choice of conditions of separation of resonance and background parts on the proper angular distributing was executed. By means of modeling the angular distributing in different systems of rest in two variants were built: with limitation for $E_{\gamma}$ and $E_{x}$ and without. It is definite, that limitations on $E_{\gamma}$ and $E_{x}$ do not change type of the angular distributing.

## 3. ANGULAR DISTRIBUTIONS

Reliable selection in the experiment $\alpha_{1}$-particles at formation of first excited the states of ${ }^{8} \mathrm{Be}$ nucleus allows correctly to build the angular distributing in the systems (I) and (II).

For the unpolarized beam the differential section of the investigated reaction of successive type can be written down as product of cross section of formation of ${ }^{8} \mathrm{Be}$ nucleus in the system of center of reaction (I)
and correlation function of the disintegration of ${ }^{8} \mathrm{Be}$ nucleus (II) $W(\alpha, \beta)[2]$ :

$$
\begin{equation*}
\frac{d^{2} \sigma}{d \theta d \Omega_{\alpha, \beta}} \sim \frac{d \sigma}{d \theta} \cdot W(\alpha, \beta) \tag{3}
\end{equation*}
$$

where $\theta$ - the angle of output of ${ }^{8} B e$ nucleus in the system (I) (axis of quantum - along direction motion of photons); $\alpha$ - polar, $\beta$ - azimuthal angles in the system (II) (axis of quantum - along direction of motion ${ }^{8} B e$ nucleus).

### 3.1. REACTION OF FORMATION OF ${ }^{8} B e$ NUCLEUS

Differential sections of $d \sigma / d \theta$ it was determined in the system of rest $\left(\alpha_{1}+{ }^{8} B e\right)(\mathrm{I})$. Results are presented by light points in the Fig.2,a. Distributions are symmetric in relation $90^{\circ}$.


Fig.2. Angular distributions: a) $-\gamma+{ }^{12} C \rightarrow$ $\alpha_{1}+{ }^{8} B e^{*}$, ○ - our experiment, • - [10], solid curve fitting of Legendre polynomials, dashed curve - [11]; b), c)- system of ${ }^{8} B e^{*} \rightarrow \alpha_{2}+\alpha_{3}(\bullet-$ polar angle $\alpha$, - - azimuthal angle $\beta$, our experiment), solid curves and dashed curve - fitting corresponding angles

To the solid curve on the fig.2a fitting of our experimental data on MNK is shown by factorization [9]:

$$
\begin{equation*}
\frac{d \sigma}{d \theta}=\sum_{i=0}^{4} c_{i} P_{i}(\theta) \tag{4}
\end{equation*}
$$

where $P_{i}(\theta)$ - the Legendre polynomials, $c_{i}$ - coefficients at polynomials.

Results of fitting: $c_{0}=14.05 \pm 0.91, c_{1}=1.33 \pm 1.35$, $c_{2}=1.59 \pm 1.77, \quad c_{3}=-0.37 \pm 1.85, \quad c_{4}=-9.42 \pm 2.11$, $\chi^{2} / D o F=0.64$. In the parameters of $c_{1}, c_{2}$ and $c_{3}$ means and error of their measuring are near.

In work [9] multipole amplitudes of the reaction photodisintegration $J^{\pi}+0^{+} \rightarrow J^{\pi}\left({ }^{12} C\right) \rightarrow 2^{+}+0^{+}$ with formation of the compound of ${ }^{12} C$ nucleus are definite. The finish state corresponds to the explored in our work channel $\left({ }^{8} B e+\alpha_{1}\right)$. Calculations are executed for the spins of ${ }^{12} C$ nucleus $J^{\pi}=1^{-}, 1^{+}$ and $2^{+}$. The coefficient of $c_{4}$ arises up only at clean E2-transition with the high values of the orbital moment L. Quantitative correlations of coefficients in our experiments can correspond to multipoles with LJS $=222$ and LJS $=422$, where J - total moment, S spin of the finish system. At the same time, in the known tables of spectroscopy data [11], there are no levels of ${ }^{12} C$ nucleus with $J^{\pi}\left({ }^{12} C\right)=2^{+}$and isotopspin $\mathrm{T}=0$, able to realize this process.

By dark points in the Fig.2,a experimental results [10] are presented. The analysis of the angular distributing in this work showed that the mixture E1- and E2-transitions with a considerable role from E2-transitions is prevailing. The not strict selection of channel of reaction is possible explanation of such divergence with our data. By a pair $\alpha$ particles, formative of ${ }^{8} \mathrm{Be}$ nucleus, those at which energy of excitation is found near-by were considered ( $2.95 \pm 0.09$ ) MeV. And $\alpha$-particles, accompanying to formation of ${ }^{8} \mathrm{Be}$ nucleus, was considered the first out off. However, as visible (the Fig.1,b), it not for certain divides the resonance and background distributing.

In theoretical work [12] contribution of coulomb and nuclear interactions of products reactions on the angular distributing of primary $\alpha$-particles the ${ }^{12} C(\gamma, 3 \alpha)$ reaction with transition on the level of $2^{+}$ of ${ }^{8} \mathrm{Be}$ nucleus within the framework of model of nucleon associations is explored and their substantial role is shown. Consideration of the final state interaction (the dotted curve on the Fig.2,a) gives a considerable isotropic constituent into calculation on comparison with clean E1- and E2-transitions. Quality a curve explains the results of experiment. A conclusion is done, that the reaction can proceed without formation of the compound ${ }^{12} C$ nucleus. However calculation of angular distributions in the system of rest of ${ }^{8} \mathrm{Be}$ nucleus is absent.

### 3.2. DISINTEGRATION OF ${ }^{8} B e$ NUCLEUS

To get the angular distributing of products of disintegration in the system of his rest of ${ }^{8} \mathrm{Be}$ nucleus (II), it must integrated expression (3) on $d \theta$ and $d \Omega_{\alpha, \beta}$. The correlation function $W(\alpha, \beta)$ it is possible to express through he elements normalized of the density matrix $\rho_{i k}[6,7]$. For the $2^{+}$state of ${ }^{8} B e$ nucleus and taking to account that spin $\alpha$-particles equal to zero here only one amplitude which relies only on polarization of $t^{00, I M}$ even ranks. Here zeros mean the unpolarized initial state, I - complete moment of the system and M - projection of complete moment. In our experiment from insufficient statistical material well-being it is necessary to execute integration on the angles of output of particle $\alpha_{1}$. It lays on limitation: $\mathrm{M}=0$. Dependence of angular distributions in
the system of rest of ${ }^{8} B e$ nucleus is [6]:

$$
\begin{equation*}
W \propto \sum_{M M^{\prime}} e^{i\left(M-M^{\prime}\right) \beta} d_{M 0}(\alpha) d_{M^{\prime} 0}(\alpha) \rho_{M M^{\prime}} \tag{5}
\end{equation*}
$$

where $\mathrm{M}, \mathrm{M}^{\prime}$ are projections of complete moment of ${ }^{8} B e$ nucleus. Matrix elements of the operator of turn (d-functions) for the correspondent moments is taken
from tables $[2,6]$. For expansion was used hermicity of the density matrix $\rho_{M M^{\prime}}$. Combining elements at the identical values of exponent:
$W \propto p_{0}+p_{1} \cos \beta+p_{2} \cos 2 \beta+p_{3} \cos 3 \beta+p_{4} \cos 4 \beta,(6)$
where

$$
\begin{align*}
& p_{0}=\frac{\left(3 \cos ^{2} \alpha-1\right)^{2}}{2} \rho_{00}+3 \sin ^{2} \alpha \cos ^{2} \alpha \rho_{11}+\frac{3}{4} \sin ^{4} \alpha \rho_{22}, \\
& p_{1}=\frac{3}{2}\left(\sin ^{3} \alpha \cos \alpha \operatorname{Re} \rho_{21}-\sin ^{2} \alpha \cos ^{2} \alpha \operatorname{Re} \rho_{10}\right), \\
& p_{2}=\frac{\sqrt{6}}{4} \sin ^{2} \alpha\left(3 \cos ^{2} \alpha-1\right) \operatorname{Re} \rho_{20}-\frac{3}{2} \sin ^{2} \alpha \cos ^{2} \alpha \operatorname{Re} \rho_{1-1}, \\
& p_{3}=-\frac{3}{2} \sin ^{2} \alpha \cos ^{2} \alpha \operatorname{Re} \rho_{2-1}, \\
& p_{4}=\frac{3}{8} \sin ^{4} \alpha \operatorname{Re} \rho_{2-2} . \tag{7}
\end{align*}
$$

From insufficient poor statistic of experiment, expression (6) on azimuth ( $\beta$ ) and polar ( $\alpha$ ) degrees is integrated and dependencies are define accordingly on $\alpha$ and $\beta$.

## A) DISTRIBUTION ON A POLAR ANGLE

Distributing on a degree $\alpha$ is resulted in a Fig.2,b closed circles. For the $2^{+}$state of ${ }^{8} B e$ nucleus differential sections after integration on an azimuth degree ( $\beta$ ) fitting (in the Fig.2,b solid curve) is executed by the expression $F(\alpha)=a_{0}\left(3 \cos ^{2} \alpha-1\right)^{2}+$ $a_{1} \sin ^{2} \alpha \cos ^{2} \alpha+a_{2} \sin ^{4}$. Parameters of the fitting $a_{0}=0.215 \pm 0.017, a_{1}=1.629 \pm 0.066, a_{2}=0.642 \pm 0.067$, $\chi^{2} / D o F=1.65$ are used for determination of elements of the density matrix $\rho: a_{0}=0.5 \pi \rho_{00}, a_{1}=0.5 \pi \rho_{11}$ and $\mathrm{a}_{2}=1.5 \pi \rho_{22}$.

Their rate normalized is executed with the use of expression $s p(\rho)=2 \rho_{22}+2 \rho_{11}+\rho_{00}=1$. As result of $\rho_{00}=0.124 \pm 0.001, \quad \rho_{11}=0.079 \pm 0.003$, $\rho_{22}=0.124 \pm 0.013$. Density matrix of ${ }^{8} B e$ nucleus factorized on spherical spin-tensor $t^{I M}$, characterizing polarization of ${ }^{8} B e$ nucleus: $t^{00}=1$ - normalization requirement, $t^{20}=S p\left(\tau_{20} \rho\right)=2.39 \rho_{22-}-1.2 \rho_{11^{-}}$ $1.2 \rho_{00}, t^{40}=S p\left(\tau_{40} \rho\right)=0.53 \rho_{22}-2.14 \rho_{11}+1.6 \rho_{00}$. Using the means of elements of the density matrix, we will define statistical tensors: $t^{20}=0.053 \pm 0.021$ and $\mathrm{t}^{40}=0.096 \pm 0.018$. The angular distributing can be factorized [2] on the Legendre polynomials, statistical tensors will be coefficients at which

$$
\begin{equation*}
W=A\left(1+t^{20} P_{2}(\cos \alpha)+t^{40} P_{4}(\cos \alpha)\right) \tag{8}
\end{equation*}
$$

The results of fitting expression (8) on a Fig.2,b dashed curve are shown. Parameters of fitting: $\mathrm{A}=0.268 \pm 0.009, \chi^{2} / D o F=0.82$.

## B) DISTRIBUTION ON AN AZIMUTH ANGLE

Distributing on a degree $\beta$ is resulted in a Fig.2,c open circles. For the $2^{+}$state of ${ }^{8} \mathrm{Be}$ nucleus differential sections after integration on an polar degree $(\alpha)$
fitting (in the Fig.2,c solid curve) is executed by the expression $F(\beta)=b_{0}+b_{1} \cos 2 \beta+b_{2} \cos 4 \beta$. Parameters of the fitting $b_{0}=60.711 \pm 0.799, b_{1}=0.071 \pm 1.131$, $b_{2}=-0.416 \pm 1.131$ and $\chi^{2} / D o F=1.77$ are used for determination of elements of the density matrix $\rho$ : $b_{0}=9 \rho_{22}+12 \rho_{11}+11 \rho_{00}, b_{1}=2.45 R e \rho_{20}-12 \rho_{1-1}$ and $b_{2}=9 \rho_{2-2}$. The parameters of $b_{1}$ and $b_{2}$ within the limits of errors are near to the zero.

The complete section of disintegration of ${ }^{8} \mathrm{Be}$ nucleus after integrated on $\alpha$ and $\beta$ expression (6): $\sigma_{\alpha, \beta} \sim 2 \pi\left(\frac{\pi}{32}\right)\left(9 \rho_{22}+12 \rho_{11}+11 \rho_{00}\right)$. The means of the density matrix were definite before on distributions of polar degree $\alpha$ and $\sigma_{\alpha, \beta}=2.111 \pm 0.163$. It is found in the consent with data [3], where partial cross section of formation the first levels of ${ }^{8} \mathrm{Be}$ nucleus $\sigma_{1}=2.29 \pm 0.09$.

## 4. CONCLUSIONS

In the $\gamma+{ }^{12} C \rightarrow \alpha_{1}+{ }^{8} B e^{*}$ reaction the channel of formation of ${ }^{8} B e$ nucleus in the first excited state is investigated. The methodic of kinematical models reactions is developed. It is definite the condition for correct selection $\alpha_{1}$-particle, accompanying formation of ${ }^{8} B e$ nucleus.

The angular distributions of $\gamma+{ }^{12} \mathrm{C} \rightarrow \alpha_{1}+{ }^{8} \mathrm{Be}{ }^{*}$ reaction and channel of disintegration of nucleus ${ }^{8} B e^{*} \rightarrow \alpha_{2}+\alpha_{3}$ are measured.

In the system $\alpha_{1}+{ }^{8} B e^{*}$ the fitting by the Legendre polynomials is executed and coefficients at polynomials are definite: $c_{0}=14.05 \pm 0.91$, $c_{1}=1.33 \pm 1.35, \quad c_{2}=1.59 \pm 1.77, \quad c_{3}=-0.37 \pm 1.85, \quad c_{4}=-$ $9.42 \pm 2.11, \chi^{2} / D o F=0.64$. Within the framework of model of formation of compound ${ }^{12} C^{*}$ nucleus experimental data can be accounted for in clean E2transition with the high values of the orbital moment L. However in the investigated region of energies there are no levels of carbon with the proper quantum characteristics.

In the system $\alpha_{2}+\alpha_{3}$ the dependence on polar ( $\alpha$ ) and azimuth $(\beta)$ angles is explored. The correlation
function $W(\alpha, \beta)$ it is possible to express through he elements normalized of the density matrix $\rho_{i k}$. The angular distributions fitting by the functions $F(\alpha)=$ $a_{0}\left(3 \cos ^{2} \alpha-1\right)^{2}+a_{1} \sin ^{2} \alpha \cos ^{2} \alpha+a_{2} \sin ^{4}$ and $F(\beta)=$ $b_{0}+b_{1} \cos 2 \beta+b_{2} \cos 4 \beta$ was executed. The coefficients $a_{0}, a_{1}, a_{2}\left(a_{0}=0.215 \pm 0.017, a_{1}=1.629 \pm 0.066\right.$, $\left.a_{2}=0.642 \pm 0.067\right)$ and $b_{0}, b_{1}, b_{2}\left(b_{0}=60.711 \pm 0.799\right.$, $\left.b_{1}=0.071 \pm 1.131, b_{2}=-0.416 \pm 1.131\right)$ are definite.

The elements of density matrix ( $\rho_{00}=0.124 \pm 0.001$, $\left.\rho_{11}=0.079 \pm 0.003, \quad \rho_{22}=0.124 \pm 0.013\right) \quad$ and spherical spin-tensors $\quad t^{20}=0.053 \pm 0.021 \quad$ and $\left.t^{40}=0.096 \pm 0.018\right)$, characterizing polarization of ${ }^{8} B e$ nucleus was calculated.

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# УГЛОВАЯ КОРРЕЛЯЦИЯ $\alpha$-ЧАСТИЦ В РЕАКЦИИ ${ }^{12} C(\gamma, 3 \alpha)$ ДЛЯ КАНАЛА ОБРАЗОВАНИЯ ЯДРА ${ }^{8}$ Ве В ПЕРВОМ ВОЗБУЖДЕННОМ СОСТОЯНИИ 

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Выполнено исследование канала образования первого возбужденного состояния ядра ${ }^{8} B e$ в реакции ${ }^{12} C(\gamma, 3 \alpha)$. Разработана методика кинематического моделирования реакции $\gamma+{ }^{12} C \rightarrow \alpha_{1}+{ }^{8} B e^{*}$ и корректно выделена $\alpha_{1}$-частица. Измерены угловые распределения реакции $\gamma+{ }^{12} C \rightarrow \alpha_{1}+{ }^{8} B e^{*}$ и канала распада ядра ${ }^{8} B e^{*} \rightarrow \alpha_{2}+\alpha_{3}$. Впервые определены элементы матрицы плотности ядра ${ }^{8} B e^{*}$ и сферические спин-тензоры, характеризующие поляризацию ядра ${ }^{8} B e^{*}$.

## КУТОВА КОРЕЛЯЦІЯ $\alpha$-ЧАСТИНОК У РЕАКЦІЇ ${ }^{12} C(\gamma, 3 \alpha)$ ДЛЯ КАНАЛУ УТВОРЕННЯ ЯДРА ${ }^{8} B e$ В ПЕРШОМУ ЗБУДЖЕНОМУ СТАНІ

## С.М. Афанасъев

Виконано дослідження каналу утворення першого збудженого стану ядра ${ }^{8} B e$ в реакції ${ }^{12} C(\gamma, 3 \alpha)$. Розроблено методику кінематичного моделювання реакції $\gamma+{ }^{12} C \rightarrow \alpha_{1}+{ }^{8} B e^{*}$ і коректно виділена $\alpha_{1}$ частинка. Виміряно кутові розподіли реакції $\gamma+{ }^{12} C \rightarrow \alpha_{1}+{ }^{8} B e^{*}$ і каналу розпаду ядра ${ }^{8} B e^{*} \rightarrow \alpha_{2}+\alpha_{3}$. Вперше визначено елементи матриці густини ядра ${ }^{8} B e^{*}$ і сферичні спін-тензори, що характеризують поляризацію ядра ${ }^{8} B e^{*}$.


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